

Fișa de verificare îndeplinire standarde minimale
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Standarde minimale: $S \geq 5$; $S_{\text{recent}} \geq 2.5$; $C \geq 12$

Punctaj realizat: **S=6.559**; **S_recent=3.943**; **C=26**

1. Articole publicate în reviste care au maximul factorilor SRI din ultimele cinci liste publicate (anii 2018-2022) mai mare sau egal cu 0.5:

Numar publicație	Referința bibliografică	Publicat în ultimii 7 ani	s_i	n_i	s_i/n_i
1.	Sebe, G.I. , Lascu, D. (2022), <i>Some asymptotic results for the continued fraction expansions with odd partial quotients</i> , Turkish Journal of Mathematics 46 (7) pp. 3011-3024, https://doi.org/10.55730/1300-0098.3315 , WOS:000888592500029	DA	0.532 (2022)	2	0.266
2.	Sebe, G.I. , Lascu, D. (2022), <i>Two asymptotic distributions related to Rényi-type continued fraction expansions</i> , Periodica Mathematica Hungarica 85 (2), pp. 380-398, https://doi.org/10.1007/s10998-021-00444-4 WOS:000740128200001	DA	0.670 (2021)	2	0.335
3.	Lascu, D., Sebe, G.I. (2021), <i>A Lochs-Type Approach via Entropy in Comparing the Efficiency of Different Continued Fraction Algorithms</i> , Mathematics 9 (3) 255, https://doi.org/10.3390/math9030255 WOS:000615387000001	DA	0.634 (2022)	2	0.317
4.	Sebe, G.I. , Lascu D. (2020), <i>A two-dimensional Gauss-Kuzmin theorem for N-continued fraction expansions</i> , Publicationes Mathematicae Debrecen 96 (3-4), pp. 291-314, DOI: 10.5486/PMD.2020.8536 WOS:000530645200003	DA	0.650 (2019)	2	0.325
5.	Sebe, G.I. , Lascu D. (2020), <i>Convergence rate for Rényi-type continued fraction expansions</i> , Periodica Mathematica Hungarica 81(2), 239-249, https://doi.org/10.1007/s10998-020-00325-2 WOS:000520639700003	DA	0.670 (2021)	2	0.335
6.	Lascu D., Sebe, G.I. (2020), <i>A dependence with complete connections approach to generalized Rényi continued fractions</i> , Acta Mathematica Hungarica 160(2), 292-313, ISSN 0236-5294, https://doi.org/10.1007/s10474-019-00974-x WOS:000519158700003	DA	0.724 (2022)	2	0.362
7.	Lascu D., Sebe, G.I. (2020), <i>A Gauss-Kuzmin-Lévy theorem for Rényi-type continued fractions</i> , Acta Arithmetica 193(3), 283-292, ISSN 0065-1036, DOI: 10.4064/aa181009-18-2 WOS:000553065600005	DA	1.040 (2018)	2	0.520

8.	Sebe, G.I., Lascu D. (2019), <i>On convergence rate in the Gauss-Kuzmin problem for θ-expansions</i> , Journal of Number Theory 195 , pp. 51-71, ISSN 0022-314X https://doi.org/10.1016/j.jnt.2018.05.018 WOS:000449038500003	DA	0.989 (2018)	2	0.494
9.	Sebe, G. I. (2017) <i>A near-optimal solution to the Gauss–Kuzmin–Lévy problem for θ-expansions</i> , Journal of Number Theory 171 , 43-55, https://doi.org/10.1016/j.jnt.2016.07.003 WOS:000386418700004	DA	0.989 (2018)	1	0.989
10.	Iosifescu, M., Sebe, G.I. (2013) <i>On Gauss problem for the Lüroth expansion</i> , Indagationes Mathematicae (N.S.) 24 (2), 382-390, https://doi.org/10.1016/j.indag.2012.12.003 WOS:000317317800005	NU	0.995 (2018)	2	0.497
11.	Sebe, G.I. (2001), <i>On convergence rate in the Gauss–Kuzmin problem for grotesque continued fractions</i> , Monatshefte für Mathematik 133 (3), 241-254 https://doi.org/10.1007/s006050170022 WOS:000171639000004	NU	1.124 (2018)	1	1.124
12.	Sebe, G.I. (2000) <i>A two-dimensional Gauss-Kuzmin theorem for singular continued fractions</i> , Indagationes Mathematicae 11 (4), 593-605, https://doi.org/10.1016/S0019-3577(00)80028-2 WOS:000167694500013	NU	0.995 (2018)	1	0.995
			S =	6.559	
			S_recent =	3.943	

2. Citări provenite de la articole publicate în reviste care au maximul factorilor SRI din ultimele cinci liste publicate (anii 2018-2022) mai mare sau egal cu 0.5:

Nr publicație care citează	Referința bibliografică a publicației care citează	s_i
Sebe, G. I., <i>A two-dimensional Gauss-Kuzmin theorem for singular continued fractions</i> , Indagationes Mathematicae 11 (4) (2000) 593-605.		
1.	Zhang, X., <i>A Two-Dimensional Gauss–Kuzmin Theorem Associated with the Random Fibonacci-Type Sequences</i> , Mediterranean Journal of Mathematics 17 (101) (2020) https://doi.org/10.1007/s00009-020-01534-2 WOS:000540159200001	0.843 (2022)
2.	Lascu D., Nicolae F., <i>A Gauss-Kuzmin-type theorem for θ-expansions</i> , Publicaciones Mathematicae Debrecen 91 (2017) 1-15, https://publi.math.unideb.hu/load_doc.php?p=2175&t=abs WOS:000416149400002	0.650 (2019)
Sebe, G.I., <i>On convergence rate in the Gauss–Kuzmin problem for grotesque continued fractions</i> , Monatshefte für Mathematik 133 (3) (2001) 241-254		
3.	Lascu D., <i>A Gauss-Kuzmin-type problem for a family of continued fraction expansions</i> , Journal of Number Theory 133 (2013) 2153-2181, https://doi.org/10.1016/j.jnt.2012.12.007 WOS:000317323500002	0.989 (2018)

4.	Lascu D., <i>Dependence with complete connections and the Gauss-Kuzmin theorem for N-continued fractions</i> , Journal of Mathematical Analysis and Applications 444 (2016) 610–623, https://doi.org/10.1016/j.jmaa.2016.06.046 WOS:000381165500032	1.164 (2018)
5.	Lascu D., Nicolae F., <i>A Gauss-Kuzmin-type theorem for θ-expansions</i> , Publicaciones Mathematicae Debrecen 91 (2017) 1-15, https://publi.math.unideb.hu/load_doc.php?p=2175&t=abs WOS:000416149400002	0.650 (2019)
6.	Boca, F.P., Merriman, C., <i>Coding of geodesics on some modular surfaces and applications to odd and even continued fractions</i> , Indagationes Mathematicae 29 (5) (2018) 1214-1234, https://doi.org/10.1016/j.indag.2018.05.004 WOS:000447573100007	0.995 (2018)
7.	Boca, F.P., Merriman, C., <i>α-Expansions with odd partial quotients</i> , Journal of Number Theory 199 (2019) 322-341, https://doi.org/10.1016/j.jnt.2018.11.015 WOS:000460852300014	0.989 (2018)
8.	Zhang, X., <i>A Two-Dimensional Gauss–Kuzmin Theorem Associated with the Random Fibonacci-Type Sequences</i> , Mediterranean Journal of Mathematics 17 (101) (2020) https://doi.org/10.1007/s00009-020-01534-2 WOS:000540159200001	0.843 (2022)
9.	Siskaki, M., <i>Distribution of the reduced quadratic irrationals arising from the odd continued fraction expansion</i> , Indagationes Mathematicae 33 (6) (2022) 1189-1220, https://doi.org/10.1016/j.indag.2022.07.003 WOS:000877615500004	0.995 (2018)
Sebe, G. I., A Gauss-Kuzmin theorem for the Rosen fractions, J. Théor. Nombres Bordx. 14 (2002) 667-682		
10.	Lascu D., <i>A Gauss-Kuzmin-type problem for a family of continued fraction expansions</i> , Journal of Number Theory 133 (2013) 2153-2181 https://doi.org/10.1016/j.jnt.2012.12.007 WOS:000317323500002	0.989 (2018)
11.	Lascu D., <i>Dependence with complete connections and the Gauss-Kuzmin theorem for N-continued fractions</i> , Journal of Mathematical Analysis and Applications 444 (2016) 610–623, https://doi.org/10.1016/j.jmaa.2016.06.046 WOS:000381165500032	1.164 (2018)
12.	Lascu D., Nicolae F., <i>A Gauss-Kuzmin-type theorem for θ-expansions</i> , Publicaciones Mathematicae Debrecen 91 (2017) 1-15 https://publi.math.unideb.hu/load_doc.php?p=2175&t=abs WOS:000416149400002	0.650 (2019)
Sebe, G.I., On a Gauss-Kuzmin-type problem for a new continued fraction expansion with explicit invariant measure, Proc. of the 3-rd Int. Coll" Math. in Engg. and Numerical Physics"(MENP-3), pp.7-9, 2004.		
13.	Lascu D., <i>A Gauss-Kuzmin-type problem for a family of continued fraction expansions</i> , Journal of Number Theory 133 (2013) 2153-2181 https://doi.org/10.1016/j.jnt.2012.12.007 WOS:000317323500002	0.989 (2018)
Sebe, G.I., A Wirsing-type approach to some continued fraction expansion, International Journal of Mathematics and Mathematical Sciences 12 (2005) 1943-1950		
14.	Zhang, X., <i>A Two-Dimensional Gauss–Kuzmin Theorem Associated with the Random Fibonacci-Type Sequences</i> , Mediterranean Journal of Mathematics 17 (101) (2020) https://doi.org/10.1007/s00009-020-01534-2 WOS:000540159200001	0.843 (2022)

<p>Iosifescu, M., Sebe, G. I., <i>An exact convergence rate in a Gauss-Kuzmin-Lévy problem for some continued fraction expansion</i>, In AIP Conference Proceedings, Vol. 835, No.1, 2006, pp. 90-109</p>		
15.	<p>Kalle, C., Kempton, T., Verbitskiy, E., The random continued fraction transformation, Nonlinearity 30(3) (2017), 1182, DOI 10.1088/1361-6544/aa5243 https://iopscience.iop.org/article/10.1088/1361-6544/aa5243 WOS:000395750300003</p>	2.165 (2018)
16.	<p>Lascu D., Nicolae F., <i>A Gauss-Kuzmin-type theorem for θ-expansions</i>, Publicaciones Mathematicae Debrecen 91 (2017) 1-15, https://publi.math.unideb.hu/load_doc.php?p=2175&t=abs WOS:000416149400002</p>	0.650 (2019)
17.	<p>Zhang, X., <i>A Two-Dimensional Gauss-Kuzmin Theorem Associated with the Random Fibonacci-Type Sequences</i>, Mediterranean Journal of Mathematics 17 (101) (2020) https://doi.org/10.1007/s00009-020-01534-2 WOS:000540159200001</p>	0.843 (2022)
<p>Sebe, G.I., <i>Convergence rate for a continued fraction expansion related to Fibonacci type sequences</i>, Tokyo J. Math. 33(2) (2010) 487-497</p>		
18.	<p>Zhang, X., <i>A Two-Dimensional Gauss-Kuzmin Theorem Associated with the Random Fibonacci-Type Sequences</i>, Mediterranean Journal of Mathematics 17 (101) (2020) https://doi.org/10.1007/s00009-020-01534-2 WOS:000540159200001</p>	0.843 (2022)
19.	<p>Peng Sun, <i>A generalization of the Gauss-Kuzmin-Wirsing constant</i>, Monatshefte für Mathematik 196(4) (2021), pp.911-925. https://doi.org/10.1007/s00605-021-01622-9 WOS:000698079700002</p>	1.124 (2018)
<p>Sebe, G.I., Lascu, D., <i>A Gauss-Kuzmin theorem and related questions for θ-expansions</i>, Journal of Function Spaces, vol. 2014 (2014), Article ID 980461, 12 pages</p>		
20.	<p>Lascu D., <i>Dependence with complete connections and the Gauss-Kuzmin theorem for N-continued fractions</i>, Journal of Mathematical Analysis and Applications 444 (2016) 610-623, https://doi.org/10.1016/j.jmaa.2016.06.046 WOS:000381165500032</p>	1.164 (2018)
21.	<p>Lascu D., Nicolae F., <i>A Gauss-Kuzmin-type theorem for θ-expansions</i>, Publicaciones Mathematicae Debrecen 91 (2017) 1-15, https://publi.math.unideb.hu/load_doc.php?p=2175&t=abs WOS:000416149400002</p>	0.650 (2019)
<p>Sebe, G. I., <i>A near-optimal solution to the Gauss-Kuzmin-Lévy problem for θ expansions</i>, Journal of Number Theory 171 (2017) 43-55.</p>		
22.	<p>Peng Sun, <i>A generalization of the Gauss-Kuzmin-Wirsing constant</i>, Monatshefte für Mathematik 196(4) (2021), pp.911-925. https://doi.org/10.1007/s00605-021-01622-9 WOS:000698079700002</p>	1.124 (2018)
<p>Sebe, G.I., Lascu, D. (2019), <i>On convergence rate in the Gauss-Kuzmin problem for θ-expansions</i>, Journal of Number Theory 195, pp. 51-71 ISSN 0022-314X</p>		
23.	<p>Zhang, X., <i>A Two-Dimensional Gauss-Kuzmin Theorem Associated with the Random Fibonacci-Type Sequences</i>, Mediterranean Journal of Mathematics 17 (101) (2020) https://doi.org/10.1007/s00009-020-01534-2 WOS:000540159200001</p>	0.843 (2022)

Sebe, G.I. , Lascu, D., <i>A two-dimensional Gauss-Kuzmin theorem for N-continued fraction expansions</i> , <i>Publicaciones Mathematicae Debrecen</i> 96 (3-4) (2020) 291-314		
24.	Zhang, X., <i>A Two-Dimensional Gauss–Kuzmin Theorem Associated with the Random Fibonacci-Type Sequences</i> , Mediterranean Journal of Mathematics 17 (101) (2020) https://doi.org/10.1007/s00009-020-01534-2 WOS:000540159200001	0.843 (2022)
25.	Peng Sun, <i>A generalization of the Gauss–Kuzmin–Wirsing constant</i> , Monatshefte für Mathematik 196(4) (2021), pp.911-925. https://doi.org/10.1007/s00605-021-01622-9 WOS:000698079700002	1.124 (2018)
26.	Jinfeng Wang, Yuan Zhang, <i>Metric theory of partial quotients of N-continued fractions</i> , Fractals 30 (01) 2250022 (2022), https://doi.org/10.1142/S0218348X22500220 WOS:000766635200075	0.940 (2020)

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